



Cite this: *Soft Matter*, 2015,
11, 3677

Received 20th February 2015,
Accepted 20th March 2015

DOI: 10.1039/c5sm00433k

www.rsc.org/softmatter

Syneresis and delayed detachment in agar plates†

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Biogels made of crosslinked polymers such as proteins or polysaccharides behave as porous soft solids and store large amounts of solvent. These gels undergo spontaneous aging, called *syneresis*, which consists of the shrinkage of the gel matrix and the progressive expulsion of solvent. As a result, a biogel originally casted in a container often loses contact with the container sidewalls, and the detachment time is difficult to anticipate *a priori*, since it may occur over variable time spans (from hours to days). Here we report on syneresis phenomena in agar plates, which consist of Petri dishes filled with a gel mainly composed of agar. Direct observations and speckle pattern correlation analysis allow us to rationalize the delayed detachment of the gel from the sidewall of the Petri dish. The detachment time t^* is surprisingly not controlled by the mass loss as one would intuitively expect. Instead, t^* is strongly correlated to the gel minimum thickness e_{\min} measured along the sidewall of the plate, and increases as a robust function of e_{\min} , independently of the prior mass-loss history. Time-resolved correlation spectroscopy atypically applied to such weakly diffusive media gives access to the local thinning rate of the gel. This technique also allows us to detect the gel micro-displacements that are triggered by water evaporation prior to the detachment, and even to anticipate the latter from a few hours. Our work provides observables to predict the detachment time of agar gels in dishes, and highlights the relevance of speckle pattern correlation analysis for the quantitative investigation of the syneresis dynamics in biopolymer gels.

1 Introduction

Biogels formed through the self-assembly of polymers such as polysaccharides or proteins are widespread in manufactured goods and biomimetic products.^{1,2} Fields of application range from food engineering where biopolymers are used as gelling agents,³ to biotechnology where these gels commonly serve as growth media for microorganisms or as porous scaffolds in tissue engineering.^{4,5} Biogels exhibit a porous microstructure made up of an interconnected network, which is efficient for retaining solvents *a priori*. However, these structures are often metastable. Indeed, the constituents experience attractive interactions and biogels spontaneously rearrange and shrink over timescales ranging from hours to days, depending on the ambient relative humidity, leading to the progressive release of the initially trapped solvent. This phenomenon, coined *syneresis*, has been reported in biogels such as gelatin,⁶ polysaccharide gels,⁷ globular protein gels,^{8–10} organogels¹¹ and hydrogels from pNIPAM microgels,¹² and more generally in colloidal gels that display weak attractive interactions.^{13,14}

If the latter category of gels has been the topic of numerous studies, only a handful of papers have reported quantitative measurements on the shrinkage dynamics of biogels, while the parameters controlling the detachment of a biogel from the preparation container stands as an open issue, despite its outstanding practical importance.

Here we report on the syneresis process in commercial agar plates used as growth media for microorganisms or cells in routine diagnostic tests. These plates are usually incubated at constant temperature of about 35 to 40 °C for several hours. Excessive syneresis leads to gel detachment from the sidewall of the Petri dish, which makes it hard to assess any bacterial growth and invalidates the test. This simple detachment issue delays the analysis of thousands of diagnostics each year and costs a fair amount of money to medical companies due to customer return. The gelling constituent of these plates is agarose, a hydrophilic colloid extracted from seaweeds,⁷ whose formation and structural properties have been thoroughly investigated over the past 40 years.^{15–17} Insoluble in cold water, agar becomes soluble in boiling water and, once cooled down below 40 °C, forms a thermoreversible gel that does not melt below 80 °C. For concentrations above 1% (w/w), as is the case for agar plates, the gel is formed through a competition between a spinodal demixing process and the association of molecules in double helices.^{18–21} This process leads to a fibrous fractal-like microstructure, which is controlled by the agarose concentration²² and the thermal history.^{23,24} Such a scale free microstructure is

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† Electronic supplementary information (ESI) available: A movie and five supplementary figures together with their descriptions and explanations. See DOI: 10.1039/c5sm00433k

reflected in their linear mechanical properties, as the gel elastic modulus increases as a weak power-law of the frequency.^{25,26} Agar gels behave as soft solids and display a brittle-like rupture scenario under large strains, which involves macroscopic fractures, while considerable creep occurs under external stress before a delayed rupture.²⁷

Agar gels are also subject to ageing, together with the spontaneous release of water. Such a syneresis phenomenon is attributed to the contraction of the polymer network by a slow further aggregation of the helices^{28,29} and is enhanced under external stress⁷ or low humidity conditions. Quantitative measurements of syneresis in agar gels merely consist of weighing the solvent-loss,³⁰ and most of the current knowledge is limited to empirical laws regarding the influence of the gel composition: syneresis in agar gels goes roughly as the inverse square root of the polymer concentration,⁷ while tuning the internal hydrophobicity of the gel by incorporating water-binding components such as sucrose,³¹ ester sulfate,¹⁷ xanthan,³² or locust bean gum³³ may partially delay and/or prevent the water release.

In this article, we focus on the delayed detachment of agar gels in plastic Petri dishes triggered by syneresis. The detachment is named *delayed* as it may occur from a few hours up to 30 hours, from the moment the plates are opened and incubated at constant temperature. Direct visualization and speckle pattern correlation experiments allow us to analyze the gel dynamics before its detachment from the sidewall of the dish, and to identify the key parameters controlling the detachment time t^* . Surprisingly, t^* is not controlled by the water loss, as two gels of identical mass with different mass loss history may detach over very different time-scales. Instead, the detachment time is strongly correlated to the gel thickness asymmetry along the plate periphery, and increases as a robust power law of the gel minimum thickness e_{\min} , independently of the prior history of the gel. Such simple quantities constitute promising macroscopic observables to estimate and optimize the shelf life of commercial plates. Time-resolved correlation experiments further allow us to measure the gel local thinning rate and demonstrate that despite the gel detachment occurring in a sudden single step, it can be anticipated from a few hours by monitoring the gel micro-displacements while it is still in contact with the sidewall of the dish.

2 Materials and methods

2.1 Agar plate samples

The samples consist of gamma-irradiated sterile agar plates (Fig. 1), commercialized by BioMérieux as microbiological growth media.† Plates are made from a cylindrical plexiglas box (diameter 8.5 cm, height 1 cm) covered with a removable lid and are partially filled with an agar gel (1.5 wt%) containing nutrients for bacterial growth, which includes peptones, sodium salts, *etc.*

† Note that gamma irradiation is performed after gelation to sterilize the plates. To our knowledge, there are no studies dealing with the effect of post-gelation irradiation on the mechanical properties of agar gels. Nonetheless, note that irradiation of agar prior to gelation is known to impact the mechanical properties of the gel by lowering the gel failure stress compared to non-irradiated samples.³⁴



Fig. 1 Commercial agar plate from a fresh batch (left) and after a 24 h incubation at 25 °C (right). The gel has detached from the sidewall on the right side of the dish. The scale is set by the dish diameter of 8.5 cm.

As a first key observation, one can notice that the gel thickness is not homogeneous, especially along the sidewall of the Petri dish. This point is of primary importance for the dynamics of the gel detachment from the dish, as will be discussed in Section 3.1. Prior to any use, each plate is weighed to determine the mass m of gel it contains, and the gel thickness $e(\theta)$ along the sidewall of the Petri dish is measured by means of a webcam (Logitech HD c920) with an accuracy of $\pm 30 \mu\text{m}$. In particular, we record the gel minimum and maximum thicknesses, respectively e_{\min} and e_{\max} (Fig. 2). For the samples investigated here, the gel mass m ranges from 21 to 27 g, while the gel thickness asymmetry $\delta e \equiv e_{\max} - e_{\min}$ lies between 0.3 and 1.4 mm for a typical average thickness of about 4 mm. Both the gel weight m and thickness $e(\theta)$ depend upon the gel casting process on the production line, and therefore are not control parameters in this study. This is why we have performed experiments on a large number of plates to sample different values of m and e . As a result of water exudation and evaporation, m and e progressively decrease up to the point the gel detaches from the lateral wall of the dish and further retracts (Fig. 1 (right)), which marks the end of the product shelf life. Commercial agar plates come in batches of 10 plates wrapped together. To test the reproducibility of our results, each experiment is repeated on several independent batches, whose exact number is given in the text.

2.2 Direct visualization

For each batch, the 10 plates are placed at the same level on top of a grid inside a programmable testing chamber (Binder MK53),

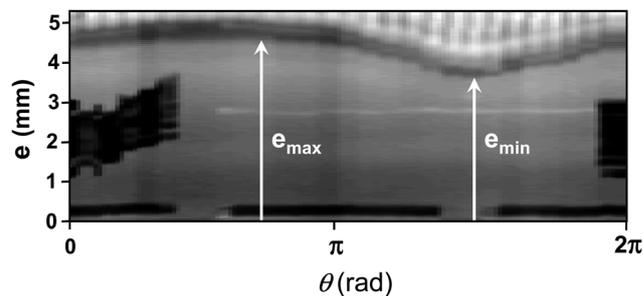


Fig. 2 Panoramic sideview of a commercial agar plate ($m = 26 \text{ g}$). The image is built by rotating the plate in front of a webcam and stacking consecutive vertical snapshots recorded at regular angle intervals. The representation $e(\theta)$ illustrates the variations in gel thickness e along the periphery of the Petri dish ($e_{\min} = 3.58 \pm 0.03 \text{ mm}$ and $\delta e = e_{\max} - e_{\min} = 1.02 \pm 0.03 \text{ mm}$). The image height is about 800 pixels and the black inscription is the plate serial number.

which maintains a constant temperature of $(25.0 \pm 0.1)^\circ\text{C}$ and a relative humidity of about 50%. Plates are monitored over several hours (up to ~ 40 hours), with a webcam (Logitech HD c920) placed inside the chamber and used in timelapse mode with a frame rate of 1 image per minute.

2.3 Time correlation spectroscopy

The gel dynamics of a single plate can also be monitored through speckle pattern correlation in a room thermostated at $(25.0 \pm 0.1)^\circ\text{C}$ and with a humidity level of about 50%. The optical setup pictured in Fig. 3 consists of a linearly polarized laser beam (He–Ne Melles Griot gas laser, 20 mW at $\lambda = 632.8$ nm), which is expanded to 5 mm with a collimator and directed perpendicularly to the sample by means of a mirror. The light is backscattered from the center region of the plate (illuminated volume ~ 100 mm³) and forms a speckle pattern on a low sensitivity CCD array (Webcam Phillips SPC900NC, 640×480 pixels), an example of which is represented in the inset of Fig. 3. To remove the ambient light, an interference filter is placed in front of the detector and, for each experiment, the angular position of the plate and the diaphragm aperture are tuned to spread the intensity range over the whole accessible grayscale of the detector, and an autocorrelation radius (\sim speckle grain radius) of about 3 pixels is obtained. We have checked that the results reported here do not depend on the exact position of the enlightened volume in the sample.

As water evaporates, the gel thins and the speckle pattern changes. The degree of correlation between two speckle images separated by a lag time τ is determined by the ensemble-average intensity correlation function $g_2(t, \tau)$, defined as follows:

$$g_2(t, \tau) = \frac{\langle I_p(t) \cdot I_p(t + \tau) \rangle_p}{\langle I_p(t) \rangle_p \cdot \langle I_p(t + \tau) \rangle_p}, \quad (1)$$

where I_p denotes the brightness level of pixel p and $\langle \dots \rangle_p$ is an ensemble average over all the pixels.³⁵ The correlation function is further normalized into a function noted $g_2^*(t, \tau)$, which verifies the condition $g_2^*(t, \tau = 0) = 1$. Here, $g_2^*(t, \tau)$ is computed at a frame rate of 10 Hz over a lag time τ ranging from 0 to 1 min. Speckle patterns are processed in real time by means of

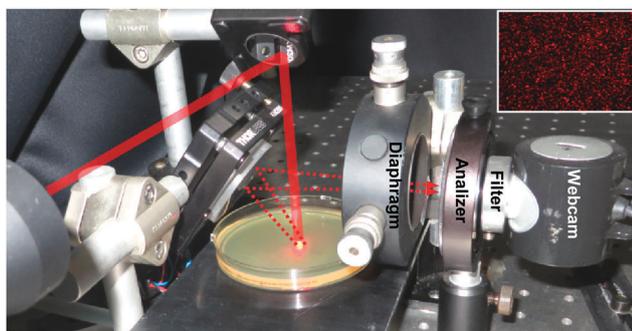


Fig. 3 Photography of the optical setup used to record the speckle pattern from the agar plate in the backscattering geometry. The laser beam trajectory has been sketched in red for the sake of clarity. Inset: typical speckle pattern.

a custom-made java plug-in with the NIH Image processing package, and speckle images are only saved every minute for a lag time $\tau = 0$, to avoid storing too large an amount of data.³⁶

The gel is a weakly scattering media and the speckle pattern is mainly produced by the interference of the initially polarized light beam, which is either reflected by the air/gel interface and/or by the gel/dish bottom interface. The polarization of the light reflected by the air/gel interface is unchanged, whereas the polarization of the light reflected by the gel/dish bottom interface is modified, as the Petri dish is made out of a birefringent material. To take advantage of this situation, an analyzer is placed in front of the webcam (Fig. 3) and is oriented either parallel or perpendicular to the original polarisation direction. To illustrate the speckle evolution in each of these two configurations, we report an experiment on an agar plate whose first (second resp.) half is performed in the parallel (perpendicular resp.) configuration (Fig. 4(a)).

In the parallel configuration, the speckle results from the interference of the light reflected at the air/gel interface and at the gel/bottom plate interface, and its decorrelation is mainly due to the gel thinning. Quantitatively, the correlation function $g_2^{*\parallel}$ reported in Fig. 4(b) decreases rapidly over a timescale $\tau_d^{\parallel} \approx 5$ s and further displays a periodic modulation τ_M^{\parallel} of about 8 s, which is also clearly visible in the dynamics of the

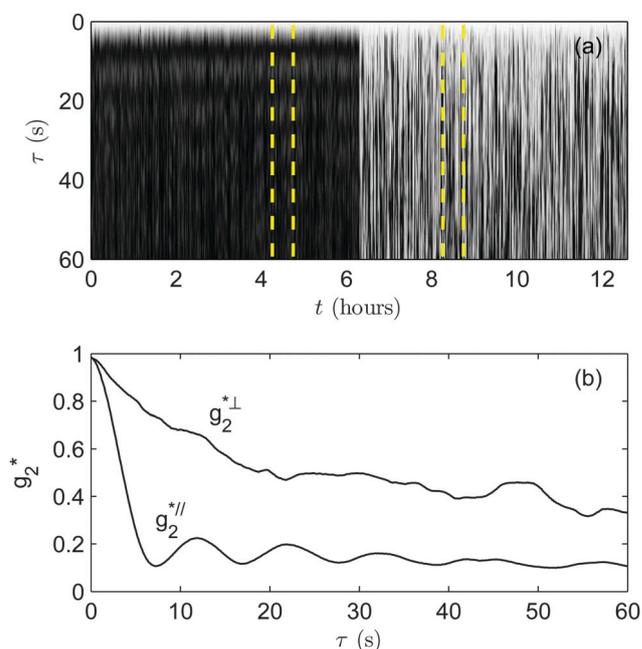


Fig. 4 (a) Lag-time temporal diagram of the intensity correlation function $g_2^*(t, \tau)$, coded in grayscale as a function of the lag time τ , and the experimental time t . The first half of the experiment is performed with parallel polarizers ($t < 6.3$ hours) and the second half of the experiment with crossed polarizers ($t \geq 6.3$ hours). The detachment of the gel from the sidewall of the dish occurs later at $t = 16$ hours (data not shown). (b) Intensity correlation function g_2^* vs. the lag time τ extracted from (a) at $t = 4.5$ hours (parallel configuration) and at $t = 8.5$ hours (crossed configuration) and averaged over a time window of $\Delta t = 30$ min (duration enclosed between the yellow dotted lines in (a)). The gel characteristics are as follows: $m = 26$ g, $e_{\min} = 3.74$ mm and $\delta e = 0.75$ mm.

Table 1 Mass loss rate $\delta\dot{m}$ determined at three different temperatures T . Each value is the result of a linear fit of $\delta m(t) = m(0) - m(t)$ for 6 different plates extracted from three different batches. Measurements are detailed in Fig. S2 in the ESI†

| Temperature (°C) | $\delta\dot{m}$ (g hour ⁻¹) |
|------------------|---|
| 20 | 0.50 ± 0.02 |
| 30 | 0.86 ± 0.03 |
| 40 | 1.81 ± 0.08 |

lag-time temporal diagram of the correlation function (Fig. 4(a), for $t < 6.3$ h). On the one hand, the short time decorrelation is induced by any change of $\lambda/2$ in the two optical paths. Indeed, a constant evaporation rate $\dot{m} = 0.7$ g hour⁻¹ at 25 °C (see Table 1 in Section 3.1) of a cylindrical gel of radius $R = 4.2$ cm and density $\rho = 1000$ kg m⁻³ leads to $\tau_d^{\parallel} = \lambda\rho\pi R^2/(4\dot{m}) \simeq 4.5$ s, in agreement with the initial decay of g_2^{\parallel} in Fig. 4(b). On the other hand, the modulation of the correlation function is caused by the constructive interferences due to gel thinning. Two successive maxima of the intensity correlation function g_2^{\parallel} correspond to a change Δ in the optical paths of photons, either reflected at the air/gel interface or at the dish bottom as $\Delta = 2nd = \lambda$, where d denotes the decrease in the gel thickness, and n stands for the refractive index of the gel very close to that of water ($n \simeq 1.33$). As the air/gel interface goes down at a velocity $v = \dot{m}/(\rho\pi R^2) = d/\tau_M^{\parallel}$, we can estimate the period of the oscillations to be $\tau_M^{\parallel} = \lambda/(2mv) \simeq 7$ s, in agreement with the modulation period of g_2^{\parallel} (Fig. 4(b)).

In the perpendicular configuration, the webcam barely receives the light reflected at the air/gel interface whose polarization is orthogonal to its initial value, and is now filtered by the analyzer. Therefore, in this configuration the speckle pattern is far less sensitive to the displacement of the air/gel interface and it decorrelates much more slowly than in the parallel configuration (Fig. 4(b)). Nonetheless, the decorrelation still occurs and results from (i) the micro-displacement of the gel inside the dish, while the gel thins but remains macroscopically in contact with the sidewall, and from (ii) the local changes in the surface topography or in the orientation of the air/gel interface induced by the aforementioned displacements.

The micro-displacements of the gel within the dish are triggered by the successive relaxations of the internal stress. The latter progressively builds up as the gel tends to contract due to water evaporation, but sticks to the sidewall. The average internal stress increases up to the moment the contraction forces overcome the adhesion forces between the gel and the sidewall leading to the sudden detachment. Therefore, in the perpendicular configuration, the temporal evolution of the speckle reflects the gel dynamics well before the detachment and allows us to infer the micro-displacement of the gel during

the syneresis. Furthermore, in this configuration one can see in Fig. 4(a) (for $t \geq 6.3$ h) that the speckle decorrelates over a timescale that varies considerably, from seconds to minutes, which suggests that the occurrence of these micro-displacements is intermittent. A more detailed analysis of these fluctuations reported in Section 3.2 confirms this interpretation and reveals that TRC allows us to detect precursors to the gel detachment from the sidewall of the dish.

3 Results

3.1 Macroscopic approach

In a first series of experiments, a batch of 10 plates without their lids is placed in a thermoregulated chamber ($T = 25$ °C) and left to rest. Water evaporates from the agar plate and the gel stays still for several hours before suddenly detaching from the sidewall of the Petri dish at a time denoted t^* (see Movie S1 in the ESI†). After detaching, the gel shrinks and, although the gel may lose up to 40% of its initial weight during the syneresis, we observe no sign of failure or fracture at any time.¶

To identify the control parameters of the gel detachment during the early stage of the syneresis, we report in Fig. 5 the evolution of the gel detachment time *versus* characteristics of

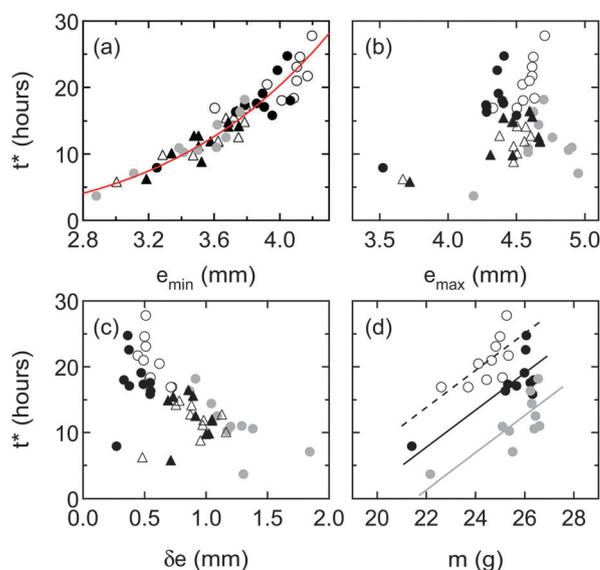


Fig. 5 Detachment time t^* of the gel from the sidewall of the Petri dish plotted vs. the value measured at $t = 0$ of (a) the gel minimum thickness e_{\min} , (b) the gel maximum thickness e_{\max} , (c) the thickness asymmetry $\delta e = e_{\max} - e_{\min}$ and (d) the gel weight m . The red curve in (a) is the best power-law fit of the data that passes through the origin: $t^* = 4 \times 10^{-2} e_{\min}^{4.5}$. The lines in (d) are guides for the eye. Symbols (○), (●) and (●) stand for three independent batches of 10 plates each used in direct visualization experiments, while (Δ) and (▲) stand for two independent batches of 10 plates, for which t^* was determined by correlation spectroscopy experiments (see Section 3.2).

§ Note that the displacement responsible for the speckle decorrelation is due to the micro-displacement of the gel and also to the deformation of the Petri dish under the forces exerted by the gel, which contracts because of evaporation of water. We have checked that the use of a rigid container (e.g. a Petri dish made of glass instead of plastic) somewhat dampens the temporal fluctuations of the speckle pattern observed in perpendicular configuration (see Fig. S1 in the ESI†).

¶ Note that, further on during the experiment, the gel turns into a thin and dry buckled pancake that can be rejuvenated by adding water. The gel then swells and recovers its initial cylindrical shape, occupying the whole Petri dish after a few hours (data not shown).

the gel determined at $t = 0$. As a key result, t^* is observed to increase as a power law of the minimum thickness of the gel e_{\min} , measured along the sidewall of the Petri dish (Fig. 5(a), (○), (●) and (●)). This relationship is robustly verified over 30 plates of different initial weights and mass loss history. By contrast, the detachment time is not correlated to the gel maximum thickness (Fig. 5(b)). Moreover, the detachment time also increases with the mass of the gel (Fig. 5(d)). Nonetheless, if the data obtained with the same batch can be described with a single increasing function of m , two gels with the same initial mass but taken from different batches may detach over very different timescales. This last observation is likely related to the fact that plates from different batches may have been exposed to different storage conditions and may have lost various amounts of water since their production. Last but not least, the detachment time also appears to be correlated to the amplitude of the variations of the gel thickness quantified by $\delta e = e_{\max} - e_{\min}$, but to a lesser extent as the data are more scattered than for t^* vs. e_{\min} (Fig. 5(c)). One should nonetheless keep in mind that gels with larger thickness asymmetry are more likely to detach sooner from the sidewall.

Beyond the detachment time, we have monitored the evolution of the gel thickness and the weight of the Petri dishes stored in the thermoregulated chamber. The experiments show that the water loss increases linearly with time, while the gel detachment does not affect the mass-loss rate (see Fig. S2 in the ESI†). This result is robust and experiments performed at higher temperatures simply lead to similar results with larger loss-rates (Table 1). Moreover, the average thickness of the gel decreases linearly in time, in agreement with the evolution of the mass loss, while the thickness asymmetry δe remains about constant up to the detachment (see Fig. S3 in the ESI†). The latter result urges us to have a closer look at the gel dynamics where the gel thickness is minimal.

The temporal evolution of the gel thickness, at the very location where the detachment takes place, is reported in Fig. 6(a)–(f). One can see that the gel also thins linearly with time at this specific location. However, about one hour before the detachment, the thinning speeds up in this spot, as evidenced in the spatio-temporal diagram displayed in Fig. 6(g), and the growth of a lens-shaped meniscus (Fig. 6(e)) finally leads to the detachment of the gel from the sidewall. This observation appears to be robust and confirms that this specific area of the gel in contact with the sidewall of the dish plays a key role in the detachment process and necessitates more sensitive measurements.

3.2 TRC study of the syneresis

To gain deeper insight into the gel dynamics and in particular the local displacements that the gel experiences before the detachment, we performed a series of speckle pattern correlation experiments. An agar plate is placed at $T = 25\text{ }^{\circ}\text{C}$ in the custom made optical setup described in Section 2.3, which is set in the perpendicular configuration to filter the light reflected at the air/gel interface and avoid the short time decorrelation of the speckle. The gel dynamics during the water evaporation is quantified by computing the intensity correlation function $g_2^{\perp}(t, \tau)$ repeatedly over a lag time $\tau = 1\text{ min}$, over the course of 10 to 30 hours (including during and after the macroscopic detachment).

Fig. 7(a) displays the lag-time temporal diagram of the correlation function $g_2^{\perp}(t, \tau)$ coded in grayscale. One can see that $g_2^{\perp}(t, \tau)$ exhibits two different regimes, which point toward a dramatic event at a specific timescale $t = t^*$ (red dashed line in Fig. 7). To compare this timescale to the detachment time measured by direct visualization experiments, we have carefully repeated the experiment for twenty agar plates from two batches, and the time t^* determined through TRC measurements is

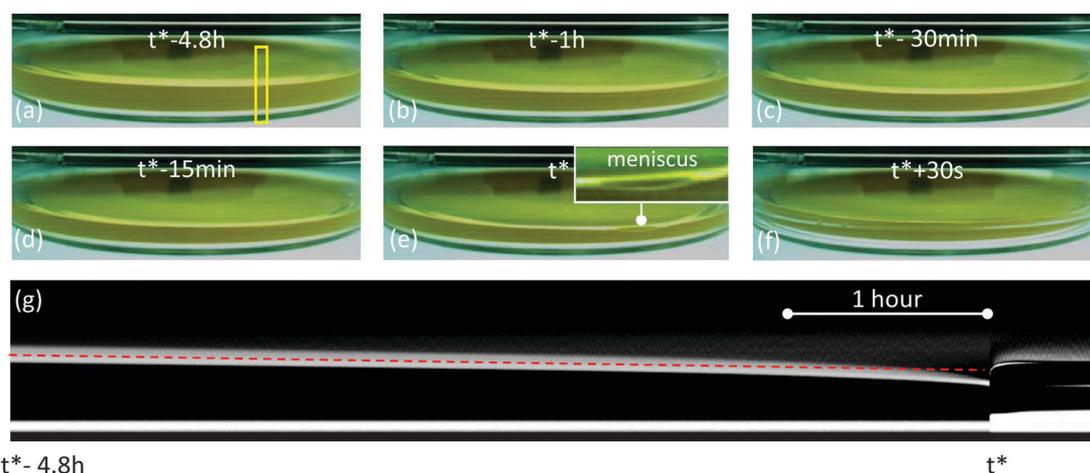


Fig. 6 (a)–(f) Sideview images of a gel in a Petri dish during the syneresis, taken at different times before and after the detachment of the gel from the sidewall of the dish. Note in (e) the appearance and growth of a lens shaped meniscus at the exact location where the detachment will occur at $t^* = 4.8$ hours. (g) Spatio-temporal diagram of the gel thickness $e(t)$ as a function of time and computed in the region of interest emphasized by a yellow frame in (a) which corresponds to the detachment location. As shown by the red dashed line (guide for the eye), the gel thickness decreases linearly with time in this region, up to one hour before the detachment. Then, the gel thinning speeds up concomitantly with the growth of a lens shaped meniscus visible in (e) before the gel detachment. The gel characteristics are: $m = 23.8\text{ g}$, $e_{\min} = 3.15\text{ mm}$ and $\delta e = 1\text{ mm}$.

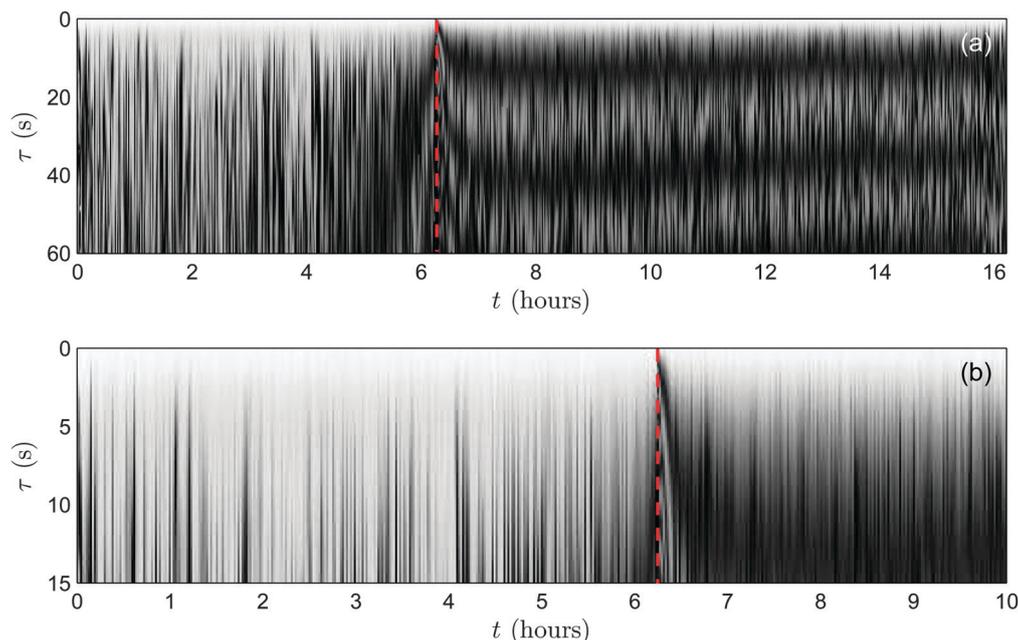


Fig. 7 (a) Lag-time temporal diagram of the intensity correlation function $g_2^{\perp}(t, \tau)$, coded in grayscale and measured in the perpendicular configuration, as a function of the lag time τ and the experimental time t . The vertical red dashed line at $t \equiv t^* = 6.25$ hours indicates the time at which the gel detaches from the sidewall of the Petri dish. For $t \leq t^*$, the speckle decorrelates over a fluctuating timescale due to the micro-displacements of the gel in contact with the sidewall of the dish. For $t > t^*$, the gel is free to contract and the speckle decorrelates more rapidly. The modulation of g_2^{\perp} of about 20 s is related to the gel thinning (see text). (b) Zoom over the early stage of the lag-time temporal diagram, for short lag times. The gel characteristics are: $m = 21.64$ g, $e_{\min} = 3.18$ mm and $\delta e = 0.48$ mm.

systematically reported *vs.* e_{\min} in Fig. 5 (symbols (Δ) and (\blacktriangle)). All the data points fall on the exact same power-law dependence as found in Section 3.1, which demonstrates that the time t^* derived from the local measurements coincides with the macroscopic detachment time identified by direct visualization experiments.

Before and after t^* , the correlation function displays different behaviors that reflect two distinctive dynamics of the gel. For $t < t^*$, the gel sticks to the sidewall of the dish, and due to water evaporation the somewhat flat air/gel interface is stretched. In the perpendicular configuration, the light reflected at this interface is mostly filtered by the analyzer (Section 2.3) and the correlation function reflects the micro-displacement of the gel, which we discuss in more detail in the following paragraph. For $t > t^*$, the gel has detached from the sidewall and is free to contract. The periodic modulation of the correlation function of about $\tau \simeq 25$ s (Fig. 7(a) for $t > t^*$) is due to the gel thinning. This interpretation is further supported by a supplemental experiment performed on a fresh plate, in which the gel has been carefully detached from the sidewall of the dish by means of a cutter blade, before the start of the experiment (see Fig. S4 in the ESI[†]). In that case, the correlation function displays, from $t = 0$, a modulation very similar to the one reported for a standard gel after it has detached (*i.e.* for $t > t^*$).

[†] Indeed, two successive maxima of the intensity correlation function g_2^{\perp} correspond to a change of $\Delta = \lambda/[2(n-1)]$ in the optical paths of the photons reflected at the gel/dish bottom interface. Estimating the gel thinning speed v from the mass loss rate \dot{m} (see Section 2.3), one may derive the modulation period to be $\tau_M^{\perp} = \lambda/[2(n-1)v] \simeq 30$ s, which is consistent with the experiments.

Let us turn now to the gel micro-displacements that take place before the detachment by having a closer look at $g_2^{\perp}(t, \tau)$ for $t < t^*$ (Fig. 7(b)). As mentioned in Section 2.3, in the crossed polarizers configuration, the speckle decorrelation results from the micro-displacements of the gel within the dish that drive the speckle dynamics at short lag times ($\tau \leq 30$ s, see Fig. S5 in the ESI[†]), and from the local subsequent changes in the topography or orientation of the air/gel interface, which lead to the complete decorrelation of the speckle at longer times. Therefore, here we focus on the temporal evolution of $g_2^{\perp}(t, \tau)$ for $\tau \leq 30$ s. We have computed, for three different plates, the probability distribution function (PDF) of $g_2^{\perp}(t, \tau)$, pictured in semi-logarithmic scale in Fig. 8(a) at $\tau = 0.5, 2$ and 10 s. The PDF remains nearly Gaussian for short lag times $\tau \leq 0.2$ s, while $g_2^{\perp}(t, \tau)$ explores smaller values for increasing values of the lag time, and the distribution $P(g_2^{\perp})$ develops an exponential tail (Fig. 8(a)). The data located to the right of the maximum are fitted by a Gaussian function, for which center $\langle x \rangle$ and variance σ are reported in Fig. 8(b) and (c) for twenty plates. Both parameters are independent of the detachment time of the gel, which demonstrates that the gel dynamics on a short time scale is thermally controlled by water evaporation and is not related to the sudden macroscopic detachment. The latter is more likely the result of the accumulation of micro-displacements. This result also suggests that the Gaussian part of the distribution is related to random micro-displacements that do not lead to gel relaxation on short timescales. In this framework, the growth of a non-Gaussian tail to the distribution of g_2^{\perp} for $\tau \geq 2$ s is

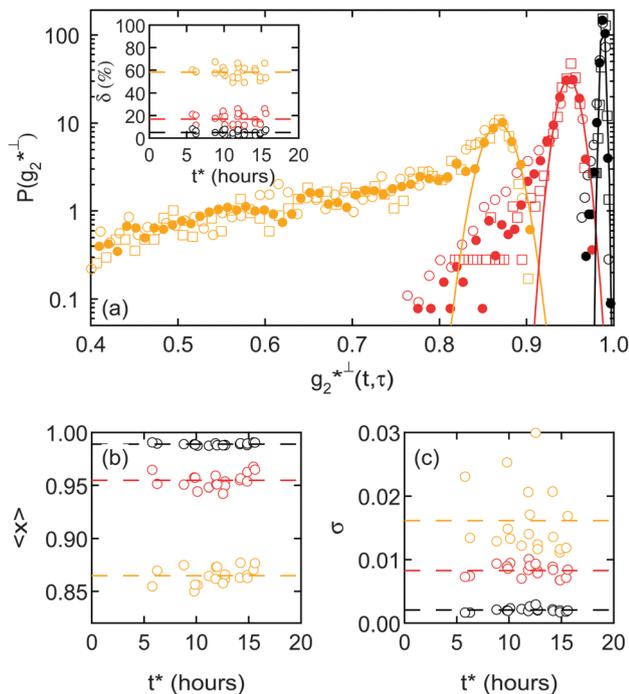


Fig. 8 (a) Probability distribution function of $g_2^{\perp}(t, \tau)$, computed at $\tau = 0.5$, 2 and 10 s from right to left, for three different plates (same symbols as in Fig. 9). For (\square) the distribution is computed for t ranging between 20 min and 3 hours, while for (\circ) and (\bullet) the distribution is computed between 20 min and up to 8 hours. Inset: fraction δ of data values that lie outside the Gaussian fit of the data reported in (a) vs. the detachment time. (b) Mean value $\langle x \rangle$ and (c) variance σ extracted from Gaussian fits for twenty different plates and plotted vs. the detachment time. Horizontal dashed lines stand for the mean values of the data.

related to irreversible micro-displacements of the gel relative to the dish, which relax adhesion forces between the gel and the sidewall. The number of these micro-displacements for a given lag time τ can be assessed by computing the fraction of data points δ in the PDF $P(g_2^{\perp})$ that lie outside the Gaussian fit. One can see in the inset of Fig. 8(a) that δ neither depends on the plate nor on the gel detachment time, and increases with the lag time to reach $\sim 60\%$ at $\tau = 10$ s. This timescale is comparable to the half modulation period $\tau_{M}^{\perp}/2 \simeq 12$ s measured during gel thinning in the perpendicular configuration, and after detachment from the dish has occurred (Fig. 4(a), $t > t^*$), which confirms that these gel irreversible micro-displacements are driven by water evaporation.

Finally, the last but not least remarkable feature of the lag-time temporal diagram pictured in Fig. 7(a) is that the decorrelation rate of the speckle pattern strongly increases about two hours before the gel detachment. The decorrelation time is defined as the lag time τ^* , for which $g_2^{\perp}(t, \tau^*) = g_2^{\perp}(t, 0)/e$ is plotted in Fig. 9 as a function of the elapsed time $t - t^*$, for three plates that display very different detachment times t^* ranging from 6 to 14 hours. For $t^* - t \geq 2.5$ h, τ^* exhibits large fluctuations around a constant mean value of about 0.7 min, in agreement with the fact that the evaporation rate is constant and the gel thickness decreases linearly in time (Section 3.1).

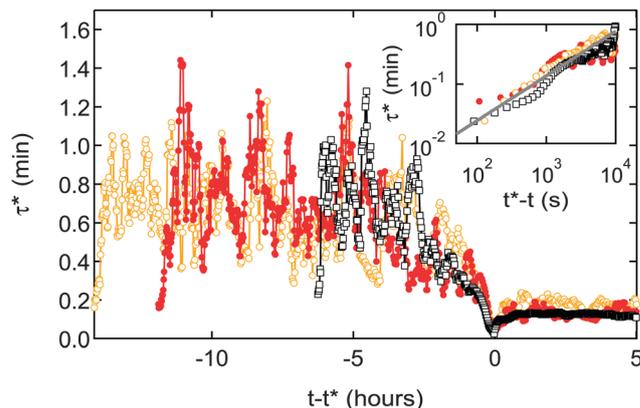


Fig. 9 Evolution of the decorrelation time τ^* , defined as $g_2^{\perp}(t, \tau^*) = g_2^{\perp}(t, 0)/e$ vs. $t - t^*$, the elapsed time centered on the detachment time t^* . Each point is an average over $\Delta t = 10$ min. Symbols stand for different plates: (\square) is the same plate as reported in Fig. 7, where the gel detaches at $t^* = 6.248$ hours, while (\circ) and (\bullet) display detachment times respectively of $t^* = 14.16$ hours and 11.89 hours. Inset: the same data replotted vs. $t^* - t$ on a logarithmic scale in the vicinity of the detachment. The line is the best power-law fit of the data: $\tau^* \propto (t^* - t)^{0.75}$.

For $t^* - t \leq 2.5$ h, τ^* decreases as a robust power-law that scales as $(t^* - t)^{0.75}$, independently of the detachment time (inset of Fig. 9). This result shows that the number and/or the amplitude of the gel micro-displacements within the dish increase in a robust fashion up to the detachment. Such increase in the gel activity is also probably related to the formation and growth of the lens-shaped meniscus in the vicinity of the sidewall at the location where the detachment later takes place (Fig. 6(e) and (g)). Furthermore, such power-law scaling is reminiscent of the finite time singularity reported for the breakup of liquid droplets³⁷ and could be the signature of the fission at $t = t^*$ of the liquid film located between the gel and the sidewall. Indeed, we checked by means of a homemade compression cell that small deformations of about 3 to 5% are sufficient to trigger the release of water from the gel. Therefore, one can easily imagine that the stresses generated by evaporation between the gel and the sidewall may form such a liquid film. This last point is left for future work.

4 Discussion and outlook

Agar plates display syneresis and water evaporation, which lead to the delayed detachment of the gel from the sidewall of the dish. Water loss appears as a continuous process that is not affected by the gel detachment, and whose rate increases for increasing temperature. The gel thickness decreases linearly up to the detachment, which occurs at the exact angular location where the gel thickness was originally minimal. As a key result confirmed by both local and global measurements, the detachment time itself is strongly correlated to the gel minimum thickness, independently of the prior mass-loss history of the gel. This suggests that the detachment is governed by the adhesion of the gel to the dish, rather than by the water loss. Speckle pattern correlation experiments give access to the local

thinning rate of the gel, which is a few tens of nm s^{-1} , and show that the gel experiences micro-displacements induced by the water loss. As water evaporates, the gel tends to contract but remains in contact with the sidewall of the dish due to weak adhesion forces. The stress builds up, which triggers irreversible micro-displacements up to the sudden detachment at $t = t^*$. The amplitude and/or the number of these displacements increases dramatically a few hours before t^* , which diminishes the decorrelation time of the speckle and makes it possible to anticipate the detachment by TRC analysis.

However, the exact location and the spatial extent of the gel micro-displacements inside the dish remain an open question: they could be located at the bottom of the dish or at the sidewall. Furthermore, if there is no doubt that the weak adhesion forces between the gel and the sidewall of the dish strongly impact the detachment time, the exact role of the friction properties between the gel and the dish bottom stands as an open issue. Future experiments will involve simultaneous TRC experiments in various regions of interest, and Photon Correlation Imaging³⁸ to map the gel displacements over the dish bottom prior to the detachment.

Finally, a local scenario of the syneresis at the scale of a single pore of the gel and in the presence of evaporation is still lacking.³⁹ It is likely that the water is released homogeneously on the nanoscale, and does not contribute to the intermittent dynamics of the speckle observed by TRC. Nonetheless, we cannot rule out a local heterogeneous water release for plates of low mass, or close to the detachment time, while the gel is under stress. This point certainly deserves more observation using dedicated techniques in the near future.

5 Conclusion

We have described the slow aging dynamics of agar plates incubated at constant temperature. The water release leads to the delayed detachment of the gel from the sidewall of the dish. The detachment takes place sooner for plates that display a significant thickness asymmetry, while the detachment time scales quantitatively as a robust function of the minimal thickness of the gel, which is therefore an excellent candidate to predict the shelflife of commercial plates. To our knowledge, this study is among the first to use speckle pattern correlation to monitor the gel contraction during syneresis and infer local information on the gel displacement dynamics. It paves the way for the use of TRC in an industrial context and more generally as a powerful tool to monitor the spontaneous or stress induced syneresis in poroelastic soft media.

Acknowledgements

The authors thank S. Manneville & M. Leocmach for fruitful discussions. This work was partially funded by the BioMérieux company.

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